Modern Tools – Models

Jim Kirby

The Past and Future of Nearshore Processes Research: Reflections on the Sallenger Years and a New Vision for the Future

Kitty Hawk, NC

5/1/14

My relation to Abby? No professional overlap, but ...

Goldsmith, V., Byrne, R. J., Sallenger, A. H., and Drucker, D. M., 1975, The influence of waves on the origin and development of the offset coastal inlets of the southern Delmarva Peninsula, Virginia, in L. E. Cronin (Ed.), Estuarine Research: Academic Press, NY, no. 2, p. 183-200.

Then ...





Goldsmith et al (1974)



Fig. 9. Hurricane Katrina winds and waves at 1000 UTC 29 August 2005 in southeastern Louisiana. The panels are: (a) wind contours and vectors ($m s^{-1}$), shown with a 10 min averaging period and at 10 m elevation; (b) significant wave height contours (m) and wind vectors ($m s^{-1}$); (c) mean wave period contours (s) and wind vectors ($m s^{-1}$); and (d) radiation stress gradient contours ($m s^{-1}$).

Dietrich et al (2011)

Then ...



PDP 11



IBM 360

Now



Stampede. University of Texas at Austin



Nvidia Titan

High resolution modeling of wave breaking

Approaches?

Conventional (finite volume, finite difference, ...)



High resolution modeling of wave breaking

Approaches? LES, multiphase continuum model (lower resolution)



Derakhti and Kirby, 2013

Mixture Theory Simulations

Validation with laboratory measurements:



At the other end of the spectrum – continuing insight from simple process-based models



Equilibria in tidal flat/salt marsh elevations



Guiding paradigm for modeling? Wave-averaged mean flow + wave forcing

Longuet-Higgins and Stewart in early 60's: Radiation stress Craik, Leibovich in mid 70's: vortex-force formalism



Model (further elaborated) provides good reproduction of mean longshore currents in longshore uniform conditions, start to break down in more markedly 2D conditions





Growing maturity of ocean modeling (nearshore or otherwise)







Shorecirc - Zhao et al 2003)



3D (COAWST)

Three dimensional effects





Models adaptable to complex environments, generally reproduce measured results



Olabarrieta et al (2011), Wilapa Bay



Figure 16. Significant wave heights on 24 October during maximum (a) ebb and (b) flood.

Improving capabilities in sediment transport and morphology applications



Limitations of wave-averaged formulations? (in either the forcing or the dynamics of the wave-averaged flow field)

(1) Underprediction of complexity in wave driven flow fields

- Lack of complexity in structure of the wave-averaged forcing (groupiness, spatial structure.)
- Additional input from the instantaneous wave structure



Figure 10. Frequency spectra of (a) longshore and (b) cross-shore velocities for data (thick solid lines) on October 18, $c_f = 0.003$ and M = 0 (thin solid lines), M = 0.25 (dashed lines), M = 0.5 (dash-dotted lines)

Rapid roll-off of spectral density in low frequency current motions:

Simulation of Superduck experiment (Ozkan-Haller and Kirby, 1999) ...





Where is the added complexity coming from?



Figure 8. A sketch of a bore of finite length with a material circuit cutting it.

Peregrine (1998)

Clark et al, 2012



Figure 1. Photograph of breaking waves (propagating toward the shore from lower-right to upper-left) showing the triangular patches of residual white foam marking the location where breaking occurred. As the waves break, they transfer momentum to the water column and generate vorticity. The initially small breaking region on the lower right expands as the wave moves toward shore on the upper left. This pattern is typical in the surfzone, with the shape of the triangle varying with wave conditions.

Dependence on crest geometry for forcing automatically favors wave-resolving models



by longshore variability of incident wave field breaking Advection and coalescing of existing vorticity



stretching and formation of trailing rip neck

Vorticity input due to feedback Generation of secondary vortex pairs which sustain existing rip or initiate new rip current.



Vortices from rip head shed outside surfzone Eventual dissipation by bottom friction and lateral mixing.

Fig. 16. Conceptual model of transient rip generation.



4. Series of snapshots of a instantaneous velocity and vorticity. The lines of adjacent positive and negative vorticity are caused by breaking wave crests, as icated by the line in frame t=3996 s. The circle in the frame for t=3998 s highlights shedding of negative vorticity from the end of the wave crest.



. 5. Wave and depth-averaged current for run 5 at t=4160 s for the centre of the longshore extent of the domain. A rip current (A.) and discrete vortices (B.) can be n, clearly associated with regions of strong vorticity.

Wave-resolving Boussinesq models for surfzone eddies





Model reproduces observed surfzone tracer diffusivity



Resolution of swash mechanics at individual wave scales



Tsunami = mega-swash?

Limitations of wave-averaged formulations?

(in either the forcing or the dynamics of the wave-averaged flow field)

(2) Limitations of hydrostatic approximations





Modeling Issues? Resolution in space.

(1) Adjust model resolution to emphasize areas with rapid variations (Automatic Mesh Refinement – AMR)



Thanks to Randy LeVeque, UW

Modeling Issues? Resolution in space.

(2) Resolve subgrid features at high resolution, somewhat reduced physics.





Subgrid modeling

Modeling Issues? Resolution in time

Morphology acceleration and strategies for achieving it



Fig. 7. Bathymetry after 55 tides, using online approach, morphological factor n=1.

Fig. 8. Bathymetry after 55 tides, using online approach, morphological factor n = 11.

Example: Morphology of a tidal basin in response to external overtide dominance



VideoMach un







500

400

300

200

100

0

-100

-200

-300

-400

0

100

200 Time, years

300

Volume, *10⁶ m³

Modeling Issues? Resolution of physics and other model elements

Problem: Explosion of complexity in extensions to Boussinesq models to cover a wider range of depths, physics

Example: O(kh⁴) model of Gobbi and Kirby (1999)

Μ

$$\begin{split} \eta_{l} + \nabla \cdot \mathbf{M} &= 0, \quad \mathbf{M} = \int_{-h}^{\delta\eta} \nabla \phi dz. \\ \mathbf{U}_{l} &= -\nabla \eta - \frac{o}{2} \nabla \left(|\mathbf{\tilde{u}}|^{2} \right) + \Gamma_{1}(\eta, \mathbf{\tilde{u}}_{l}) + \Gamma_{2}(\eta, \mathbf{\tilde{u}}), \\ \mathbf{U}_{l} &= -\nabla \eta - \frac{o}{2} \nabla \left(|\mathbf{\tilde{u}}|^{2} \right) + \Gamma_{1}(\eta, \mathbf{\tilde{u}}_{l}) + \Gamma_{2}(\eta, \mathbf{\tilde{u}}), \\ \mathbf{U} &= \mathbf{\tilde{u}} + \mu^{2} \left[(A-1)h(2\nabla hF_{22} + \nabla F_{21}) + (B-1)h^{2}\nabla F_{22} \right] \\ &+ \mu^{4} \left[(A-1)F_{l}(\vec{\phi}) + 2\left(Bh - \frac{H}{2}\right)F_{2}(\vec{\phi}) \right] \nabla h \\ &+ \left(Ah - \frac{H}{2}\right) \nabla F_{l}(\vec{\phi}) + \left(Bh^{2} - \frac{H^{2}}{3}\right) \nabla F_{2}(\vec{\phi}) \right] \\ &+ \mu^{4} H \left\{ \left[(A-1)F_{3}(\vec{\phi}) + 2\left(Bh - \frac{H}{2}\right)F_{4}(\vec{\phi}) + 3\left(Ch^{2} - \frac{H^{2}}{3}\right)F_{5}(\vec{\phi}) \right] \\ &+ \mu^{4} H \left\{ \left[(A-1)F_{3}(\vec{\phi}) + 2\left(Bh - \frac{H}{2}\right)F_{4}(\vec{\phi}) + 3\left(Ch^{2} - \frac{H^{2}}{3}\right)F_{5}(\vec{\phi}) \right] \\ &+ \mu^{4} H \left\{ \left[(A-1)F_{3}(\vec{\phi}) + 2\left(Bh - \frac{H}{2}\right)F_{4}(\vec{\phi}) + 3\left(Ch^{2} - \frac{H^{2}}{3}\right)F_{5}(\vec{\phi}) \right] \\ &+ \left(2h\delta\eta + \delta^{2}\eta^{2}\right)(F_{42} + F_{44}) + (3h^{2}\delta\eta + 3h\delta^{2}\eta^{2} + \delta^{3}\eta^{3})F_{45}r \\ &+ (2h\delta\eta + \delta^{2}\eta^{2})(F_{42} + F_{44}) + (3h^{2}\delta\eta + 3h\delta^{2}\eta^{2} + \delta^{3}\eta^{3})F_{45}r \\ &+ (4h^{3}\delta\eta + 6h^{2}\delta^{2}\eta^{2} + 4h\delta^{3}\eta^{3} + \delta^{4}\eta^{4})F_{45}r \right], \end{aligned}$$

$$(44) \\ H^{4} \left[bh^{2} - \frac{H^{3}}{4} \right] \nabla F_{5}(\vec{\phi}) + \left(Ch^{4} - \frac{H^{3}}{5} \right) \nabla F_{5}(\vec{\phi}) + \left(Dh^{4} - \frac{H^{4}}{5} \right) \nabla F_{5}(\vec{\phi}) \right] \\ &+ \left[\frac{1}{2}(F_{21} + 2HF_{22})^{2} \right] - \mu^{4} \delta \nabla \left\{ \mathbf{\tilde{u}} \cdot \left[(Ah - H)(\nabla F_{41} + 2\nabla hF_{42} + \nabla F_{43}) + (2h^{2}h^{2} + 2\nabla hF_{44}) + (Bh^{2} - H^{2})(\nabla F_{42} + \nabla F_{44}) + (Bh^{2} - H^{2})(\nabla F_{42} + \nabla F_{44} + 3\Psi F_{45}) \right] \\ &+ \frac{1}{2} \left[(Ah - H)(\nabla F_{21} + 2\Psi F_{22}) + (Bh^{2} - H^{2}) \nabla F_{22} \right] \\ &+ \frac{1}{2} \left[(Ah - H)(\nabla F_{21} + 2\Psi F_{24}) + (Bh^{2} - H^{2}) \nabla F_{42} \right]^{2} \\ &+ \frac{1}{2} \left[(Ah - H)(\nabla F_{21} + 2\nabla F_{22}) + (Bh^{2} - H^{2}) \nabla F_{42} \right]^{2} \\ &+ \frac{1}{2} \left[(Ah - H)(\nabla F_{21} + 2\Psi F_{43}) + 2HF_{44} + 3H^{2}F_{45} + 4H^{3}F_{46}) \right] \right] \right\}.$$

These extensions can be carried out to as high an order as desired, but, clearly, programming and basic understanding of the model can become an issue.

Good reproduction

breaking and mean

of surf zone and

deep water

flows

Alternate: 3D Nonhydrostatic models (SWASH, NHWAVE)



Excellent wave dispersion properties





Model extensions to additional physical applications



Waves in vegetation canopies



Tsunami generation by deforming slide



Langmuir cells in finite depth

What I've shortchanged:

Extension of our knowledge base using direct analysis of simplified process models. This has been an avenue for progress in a number of areas including

- Marsh platform/tidal flat equilibria
- Channel incision in similar environments
- Large scale coastline development
 - Bedform configuration and evolution

2. The need for coupled bio/geo/physical models as the time threshold for models increases.

3. The eventual link between high resolution sediment transport modeling and its use in improving parameterization of unresolved scales in nearshore and ocean models.